PreCalculus	Name:	Period:	Date:
Warm Up 12/06			
Lesson 4-5: Modeling with Exponential Functions			
Objective			
Students will - Be able to solv	ve word problems involving exponent	ial growth/decay.	
Exponential Functions in the Real World			
Many processes that occur in nature, such as population growth, radioactive decay, heat diffusion, and numerous others, can be modeled using exponential functions.			
We already saw that the exponential number e has a big role when it comes to compounding interest. This number, e , has many other significant roles in real life.			
Exponential Growth			
One of the most significant situation involving e is the exponential growth model .			
Exponential Growth Model - A population that experiences exponential growth increases according to the model,			
Examples			
The initial bacterium count in a culture is 500. A biologist later makes a sample count of bacteria in the culture and finds that the relative rate of growth is 40% per hour. a) Find a function that models the number of bacteria after t hours.			

b) What is the estimated count after 10 hours?

In 2000 the population of the world was 6.1 billion and the relative rate of growth was 1.4% per year. It is claimed that a rate of 1.0% per year would make a significant difference in the total population in just a few decades. Test this claim by estimating the population of the world in the year 2050 using a relative rate of growth of a) 1.4% per year and b) 1.0% per year.

A certain breed of rabbit was introduced onto a small island about 8 years ago. The current rabbit population on the island is estimated to be 4100, with a relative growth rate of 55% per year.

- a) What was the initial size of the rabbit population?
- b) Approximately, how long will it take for the population to reach 12000?

Radioactive Decay

Exponential function is also often used to model some form of decay. One of the most significant use is done modeling radioactive decay.

Radioactive Decay - Decay of radioactive mass is modeled by,

Example

Polonium-210 has a half-life of 140 days. Suppose a sample of this substance has a mass of 300mg.

- a) Find a function that models the amount of the sample remaining at time t. (Need to find r first)
- b) Find the mass remaining after one year.
- c) How long will it take for the sample to decay to a mass of 200 mg?